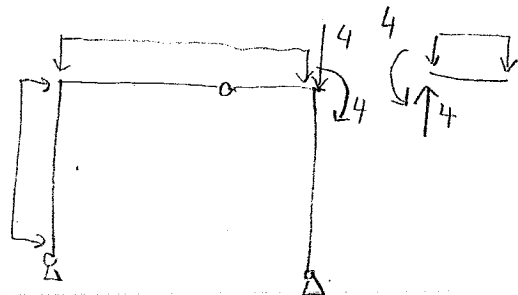
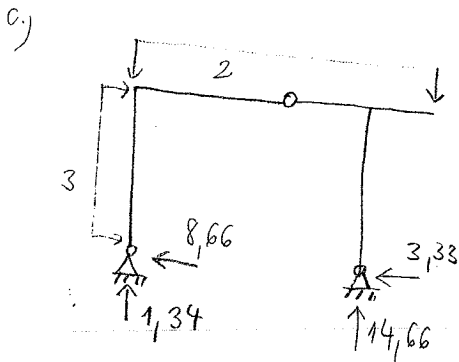
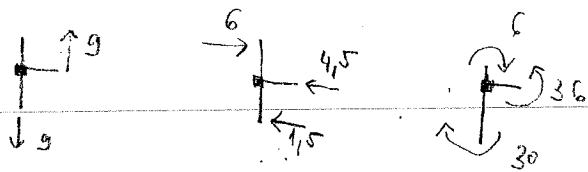
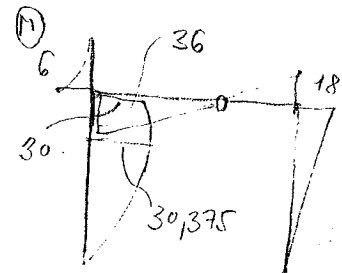
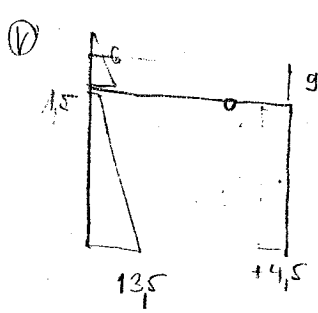
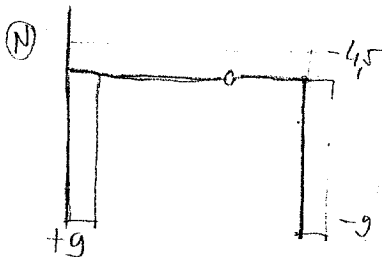
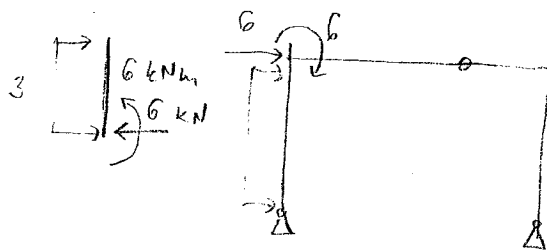
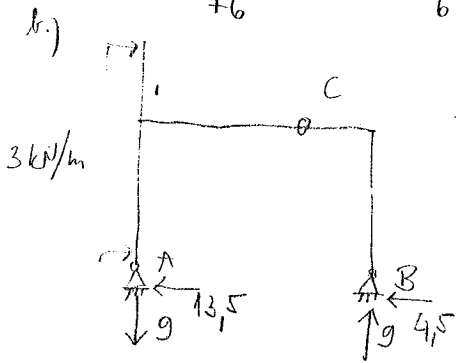
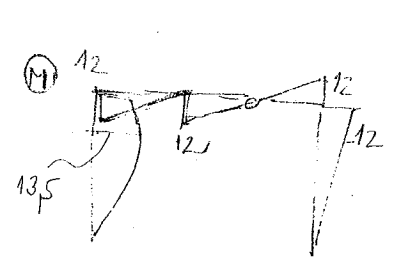
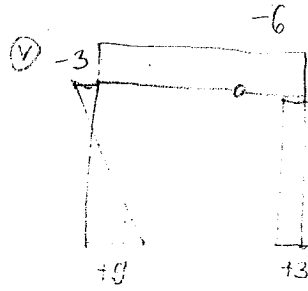
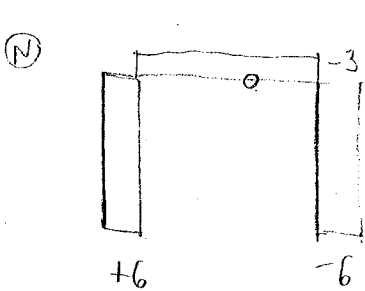
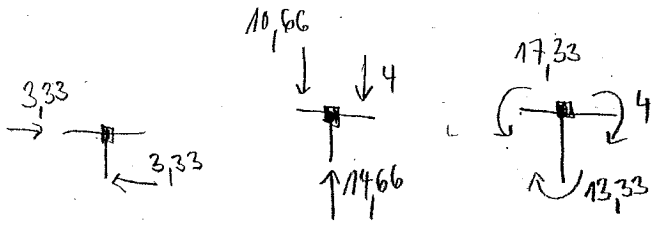
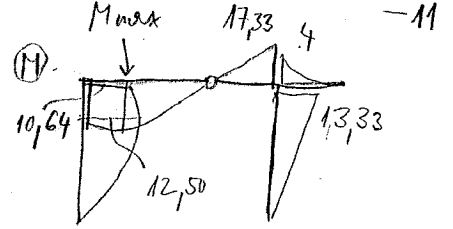
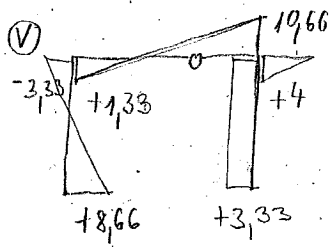
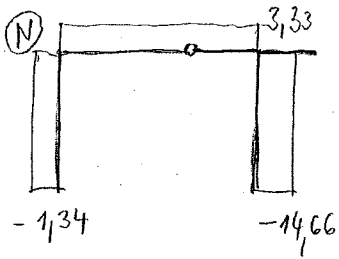


$$\begin{aligned} \sum M_A = 0 & \quad 3 \cdot 4 \cdot 2 + 12 - B_y \cdot 6 = 0 \\ & \quad B_y = 6 \quad A_y = -6 \\ \sum M_C = 0 & \quad 6 \cdot 2 - B_x \cdot 4 = 0 \\ & \quad B_x = 3 \\ \sum F_x = 0 & \quad A_x = 9 \end{aligned}$$





$M_{max}$  V alján alyogjam!

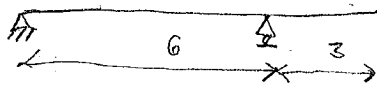
$$\frac{1,33}{x} = \frac{10,66}{6-x} \rightarrow x = 0,665$$

$M_{max}$  helye

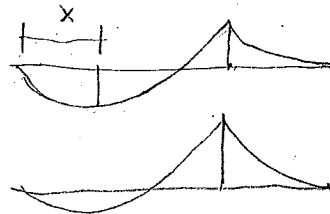
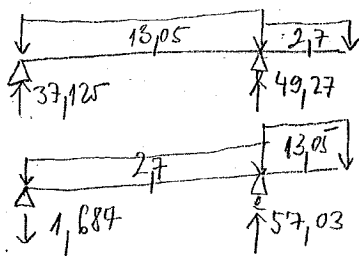
$$8,66 - 4 + 1,34 \cdot 0,665 - 3 \cdot 4 \cdot 2 - \frac{2 \cdot 0,665^2}{2} = 11,08 = M_{max}$$

4.16.) maximális teher:  $\sigma_G \cdot q_k + \sigma_Q \cdot q_k = 1,35 \cdot 3 + 1,5 \cdot 6 = 13,05 \text{ kN/m}$   
 minimális teher:  $\sigma_G \cdot q_k = 0,9 \cdot 3 = 2,7 \text{ kN/m}$

a.)



a támaszoknál  $+M_{max}$ , ha teher bal oldalán maximális, a konzoloknál minimális  
 a támaszoknál  $-M_{max}$ , ha teher bal oldalán minimális, a konzoloknál maximális  
 $M_{Bmax}$  a konzoloknál  $-M_{max}$ , ha a teher a konzoloknál maximális



$$x = 2,84$$

$$+M_{max} = \frac{37,125^2}{2 \cdot 13,05} = 52,8 \text{ kNm}$$

$$-M_{max} = \frac{13,05 \cdot 3^2}{2} = 58,72 \text{ kNm}$$

támasz felett

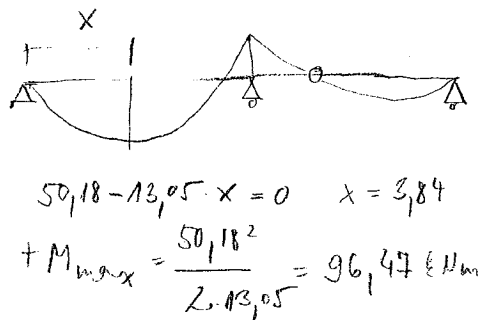
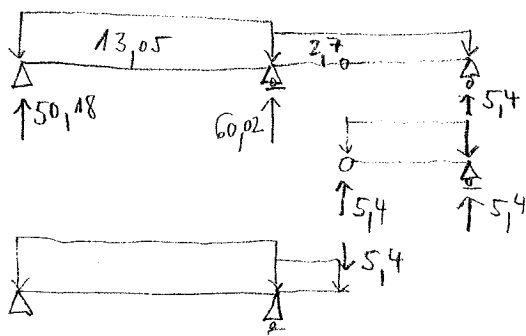
$M_{max}$  helye: ahol  $V=0$

$$37,125 - 13,05 \cdot x = 0 \rightarrow x = 2,84$$

b.)



a bal oldalán  $+M_{max}$ , ha a teher a bal oldalán max., a jobb oldalán min.  
 a bal oldalán  $-M_{max}$ , ha a teher a bal oldalán min., a jobb oldalán max.  
 a jobb oldalán a B támasznál  $M_{max}$ , ha jobb oldalán a teher max.



$$50,18 - 13,05 \cdot x = 0 \quad x = 3,84$$

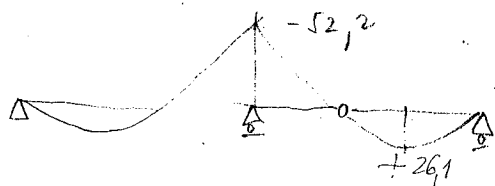
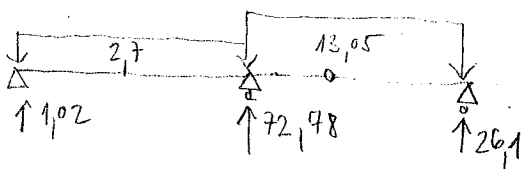
$$+M_{max} = \frac{50,18^2}{2 \cdot 13,05} = 96,47 \text{ kNm}$$

$$\sum M_A = 0 \quad 13,05 \cdot 8 \cdot 4 + 2,7 \cdot 2 \cdot 9 + 5,4 \cdot 10 - B \cdot 8 = 0$$

$$B = 65,02$$

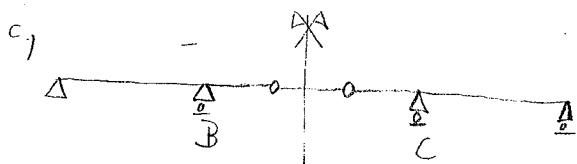
$$\sum F_y = 0$$

$$A = 50,18$$



$$-M_{max} = \frac{13,05 \cdot 2,7^2}{2} + 26,1 = 52,2$$

$$+M_{max} = \frac{26,1^2}{2 \cdot 13,05} = 26,1$$

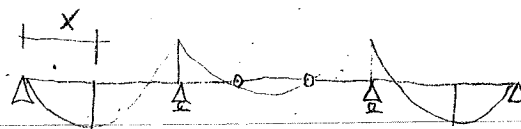
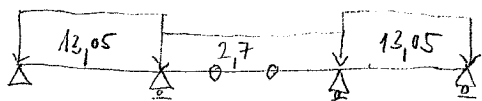


simmetrikan terdistribusi → has terdistribusi simetris.

M a'ora simmetrikan

V a'ora antsimetrikus

a, két se'lo' mezőben  $+M_{max}$ , ha se'lo' mezőben terdistribú max, középső terdistribú min.  
 a két se'lo' mezőben  $-M_{max}$ , ha középső mezőben  $+M_{max}$  és  $-M_{max}$ , és B, C támaszoknál  $M_{max}$   
 ha se'lo' mezőben terdistribú min és középső mezőben terdistribú max

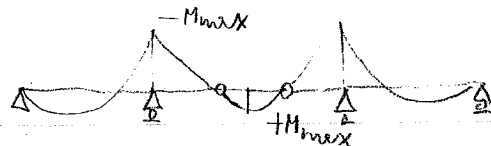
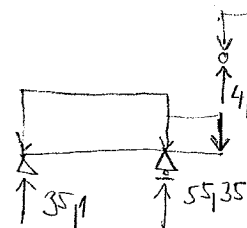


$$35,1 - 13,05 \cdot x = 0$$

$$x = 2,68$$

$$M_{max} = \frac{35,1^2}{2 \cdot 13,05}$$

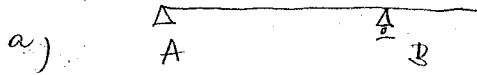
$$M_{max} = 47,20 \text{ kNm}$$



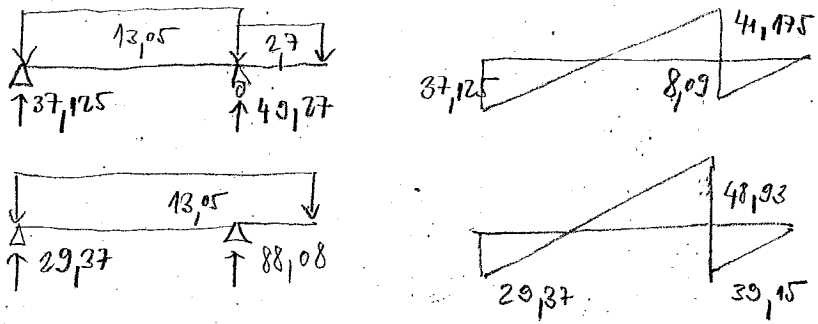
$$-M_{max} = 117,43 \text{ kNm}$$

$$+M_{max} = 14,68 \text{ kNm}$$

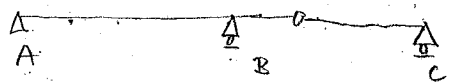
4-17.



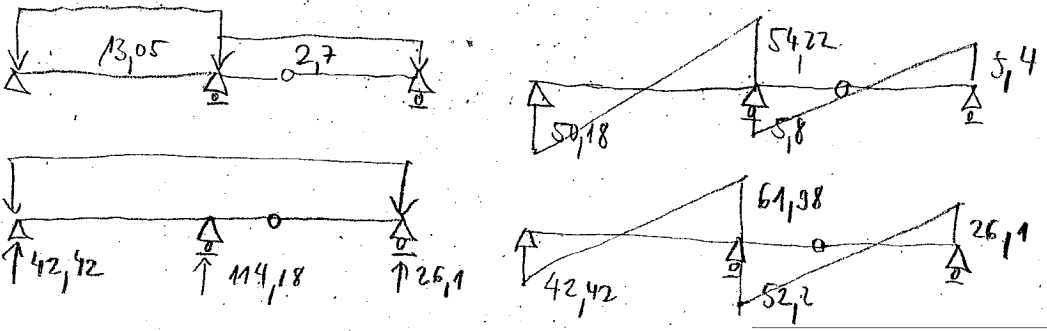
A támasznál  $+V_{max}$ , ha messzebb max tker és közelebb min. tker  
 B támasznál  $-V_{max}$ , ha teljes tartó létehet



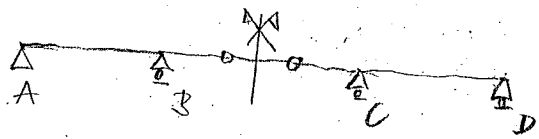
b)



A támasznál  $+V_{max}$ , ha bal rész max tker, jobb rész min tker.  
 B támasznál  $-V_{max}$  és C támasznál  $-V_{max}$ , ha teljes tartó max tker.



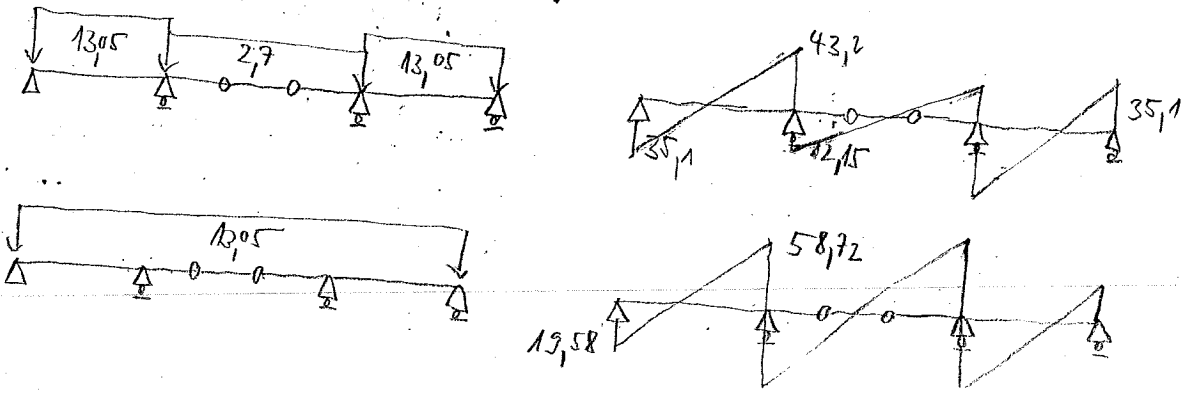
c)

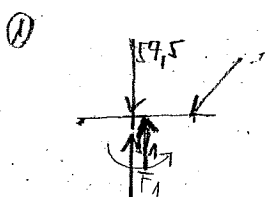
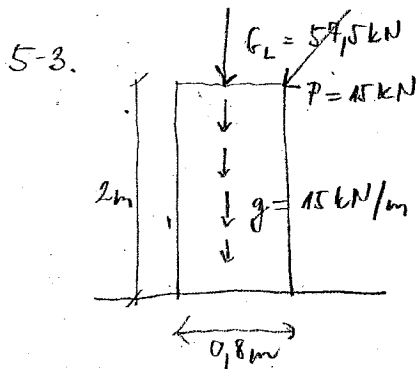


V ábra antiszimmetrikus

A támasznál  $+V_{max}$  és D támasznál  $-V_{max}$ , ha középső részben max tker és középső részben min tker

B és C támasznál  $V_{max}$ , ha teljes tartó max tker

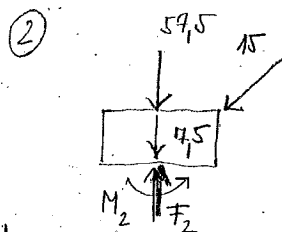




$$F_1 = 57,5 + 15 \cdot \sin 53 = 69,47 \text{ kN}$$

$$M_1 = 15 \cdot \sin 53 \cdot 0,4 = 4,99 \text{ kNm}$$

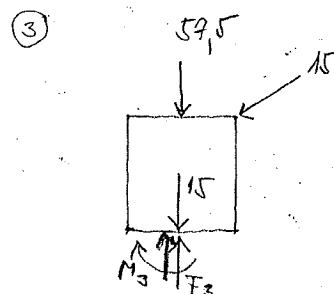
$$e_1 = \frac{M}{F} = 0,068 \text{ m} = 6,89 \text{ cm}$$



$$F_2 = 57,5 + 15 \cdot \sin 53 + 7,5 = 76,97$$

$$M_2 = 15 \cdot \sin 53 \cdot 0,4 - 15 \cdot \cos 53 \cdot 0,5 = 0,278 \text{ kNm}$$

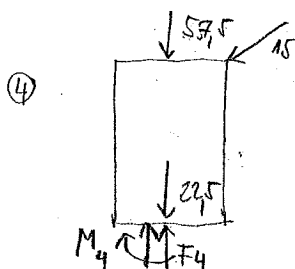
$$e_2 = 0,0036 = 0,36 \text{ cm}$$



$$F_3 = 57,5 + 15 \cdot \sin 53 + 15 = 84,47$$

$$M_3 = 15 \cdot \sin 53 \cdot 0,4 - 15 \cdot \cos 53 \cdot 1 = -4,235 \text{ kNm}$$

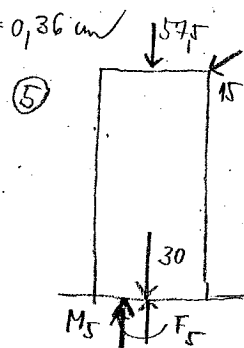
$$e_3 = -0,050 = -5 \text{ cm}$$



$$F_4 = 57,5 + 15 \cdot \sin 53 + 22,5 = 91,97 \text{ kN}$$

$$M_4 = 15 \cdot \sin 53 \cdot 0,4 - 15 \cdot \cos 53 \cdot 1,5 = -8,74 \text{ kNm}$$

$$e_4 = -0,0957 = -9,57 \text{ cm}$$

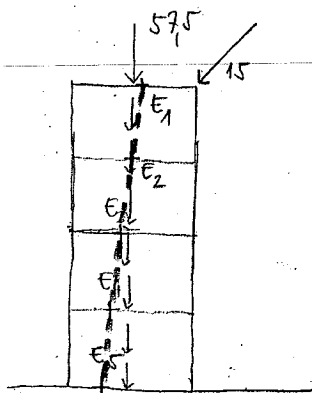


$$F_5 = 57,5 + 15 \cdot \sin 53 + 30 = 99,47$$

$$M_5 = 15 \cdot \sin 53 \cdot 0,4 - 15 \cdot \cos 53 \cdot 2 = -13,26$$

$$e_5 = +0,133 = 13,33 \text{ cm}$$

talpárnyékol:

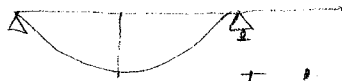


4-18.)

a.)

mezőben:

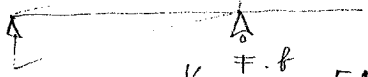
(M)



$$M = \frac{F \cdot a \cdot b}{l} = \frac{5 \cdot 3 \cdot 3}{6} = 4.5 \text{ kNm}$$

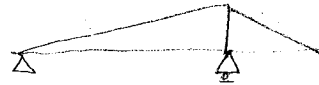
$$= 4.5 \text{ kNm}$$

(V)



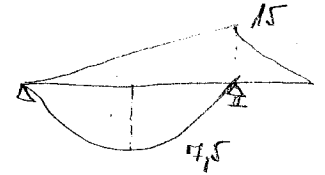
$$V = \frac{F \cdot b}{l} = 5 \text{ kN}$$

közélen -

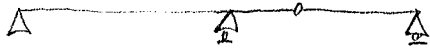


$$M = F \cdot 3 = 15 \text{ kNm}$$

balról jobbra:

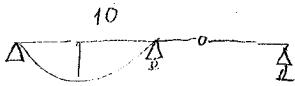


b.)



bal mezőben:

(M)



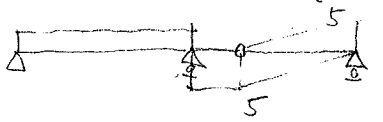
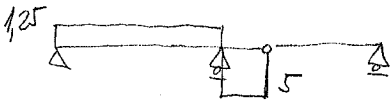
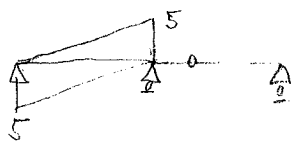
jobb mezőben, csuklótól balra:



jobb mezőben csuklótól jobbra:

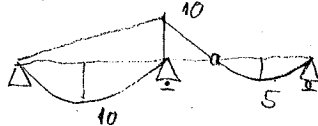


(V)

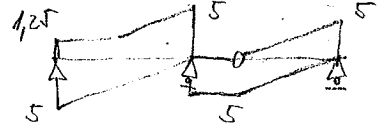


balról jobbra:

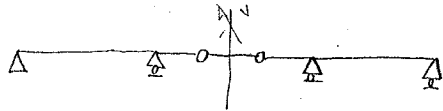
(M)



(V)

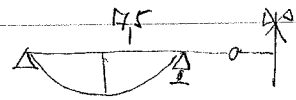


c.)

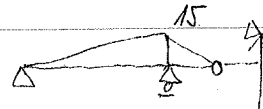


bal mezőben:

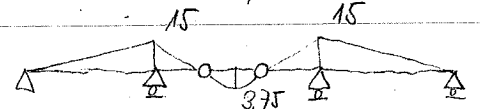
(M)



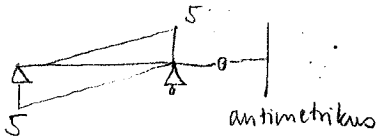
középső mezőben, csuklótól balra:



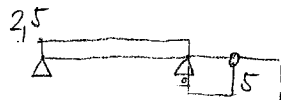
középső mezőben, csuklók között:



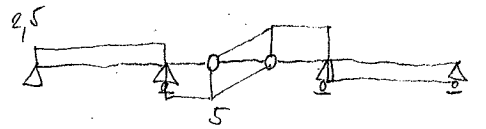
(V)



antiszimmetrikus

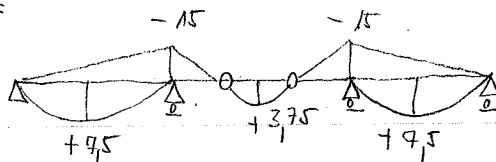


antiszimmetrikus!

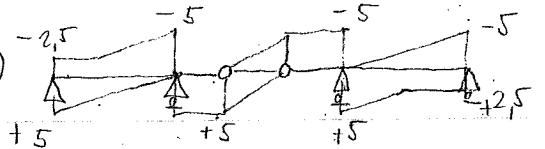


balról jobbra:

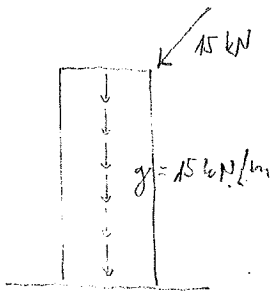
(M)



(V)

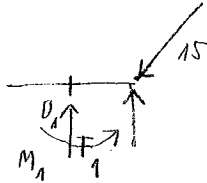


5-4)



A nyomatékok mezejének az előző feladatban a'imitottal!

①

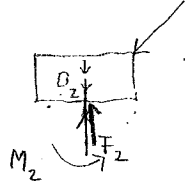


$$F_1 = 15 \cdot \sin 53 = 11,97 \text{ kN}$$

$$M_1 = 15 \cdot \sin 53 \cdot 0,4 = 4,79 \text{ kNm}$$

$$e_1 = \frac{M_1}{F_1} = 0,40 \text{ m} = 40 \text{ cm}$$

②

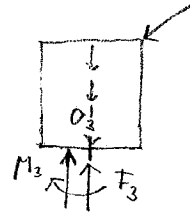


$$F_2 = 15 \cdot \sin 53 + 15 \cdot 0,5 = 19,47$$

$$M_2 = 0,278 \text{ kNm}$$

$$e_2 = 0,0142 = 1,42 \text{ cm}$$

③

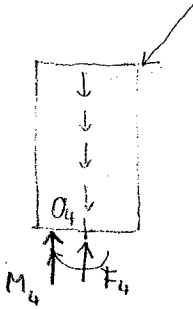


$$F_3 = 15 \cdot \sin 53 + 15 \cdot 1 = 26,97$$

$$M_3 = -4,235 \text{ kNm}$$

$$e_3 = 15,7 \text{ cm}$$

④

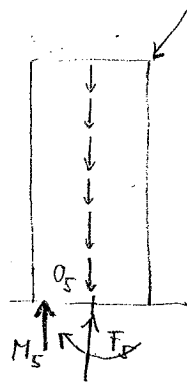


$$F_4 = 15 \cdot \sin 53 + 15 \cdot 1,5 = 34,48 \text{ kN}$$

$$M_4 = -8,74 \text{ kNm}$$

$$e_4 = -0,253 \text{ m} = -25,3 \text{ cm}$$

⑤



$$F_5 = 15 \cdot \sin 53 + 15 \cdot 2 = 41,98 \text{ kN}$$

$$M_5 = -13,26 \text{ kNm}$$

$$e_5 = -31,58 \text{ cm}$$

talvonalal:

